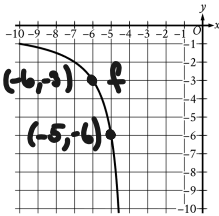


SAT Practice 4 - September 9, 2025

Math: Question 18



The rational function f is defined by an equation in the form $f(x) = \frac{a}{x+b}$, where a and b are constants. The partial graph of $y = f(x)$ is shown. If $g(x) = f(x+4)$, which equation could define function g ?

Answer

- A. $g(x) = \frac{6}{x}$
- B. $g(x) = \frac{24}{x+4}$
- C. $g(x) = \frac{6}{x+4}$**
- D. $g(x) = \frac{6(x+4)}{x+4}$

You selected answer D. The correct answer is C.

Rationale

Choice C is correct. It's given that $f(x) = \frac{a}{x+b}$ and that the graph shows is a partial graph of $y = f(x)$. Substituting y for $f(x)$ in the equation $f(x) = \frac{a}{x+b}$ yields $y = \frac{a}{x+b}$. The graph passes through the point $(-7, -2)$. Substituting -7 for x and -2 for y in the equation $y = \frac{a}{x+b}$ yields $-2 = \frac{a}{-7+b}$. Multiplying each side of this equation by $-7+b$ yields $-2(-7+b) = a$, or $14 - 2b = a$. The graph also passes through the point $(-5, -6)$. Substituting -5 for x and -6 for y in the equation $y = \frac{a}{x+b}$ yields $-6 = \frac{a}{-5+b}$. Multiplying each side of this equation by $-5+b$ yields $-6(-5+b) = a$, or $30 - 6b = a$. Substituting $14 - 2b$ for a in this equation yields $30 - 6b = 14 - 2b$. Adding $6b$ to each side of this equation yields $30 = 14 + 4b$. Subtracting 14 from each side of this equation yields $16 = 4b$. Dividing each side of this equation by 4 yields $4 = b$. Substituting 4 for b in the equation $14 - 2b = a$ yields $14 - 2(4) = a$, or $6 = a$. Substituting 6 for a and 4 for b in the equation $f(x) = \frac{a}{x+b}$ yields $f(x) = \frac{6}{x+4}$. It's given that $g(x) = f(x+4)$. Substituting $x+4$ for x in the equation $f(x) = \frac{6}{x+4}$ yields $f(x+4) = \frac{6}{x+4+4}$, which is equivalent to $f(x+4) = \frac{6}{x+8}$. It follows that $g(x) = \frac{6}{x+4}$.

Choice A is incorrect. This could define function g if $g(x) = f(x-4)$.

Hide correct answer and explanation

Previous Next

$$f(x) = \frac{a}{x+b}$$

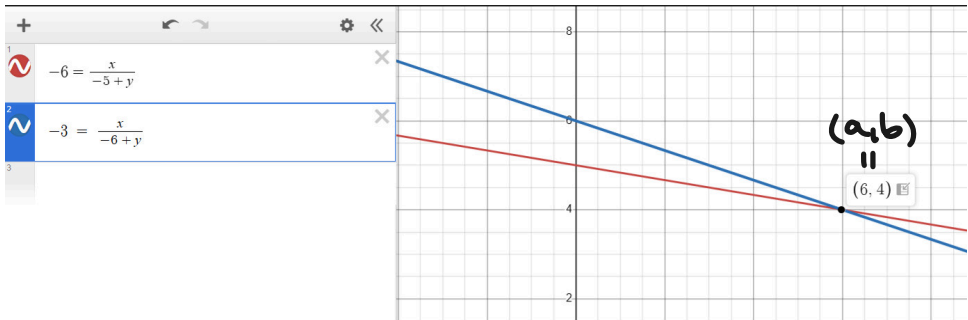
$(-5, -6), (-6, -3)$ both lie on f

\Rightarrow they satisfy the eq. of f :

$$\text{I. } \left. \begin{matrix} x = -5 \\ y = -6 \end{matrix} \right\} -6 = \frac{a}{-5+b}$$

$$\text{II. } \left. \begin{matrix} x = -6 \\ y = -3 \end{matrix} \right\} -3 = \frac{a}{-6+b}$$

} system of 2 equations



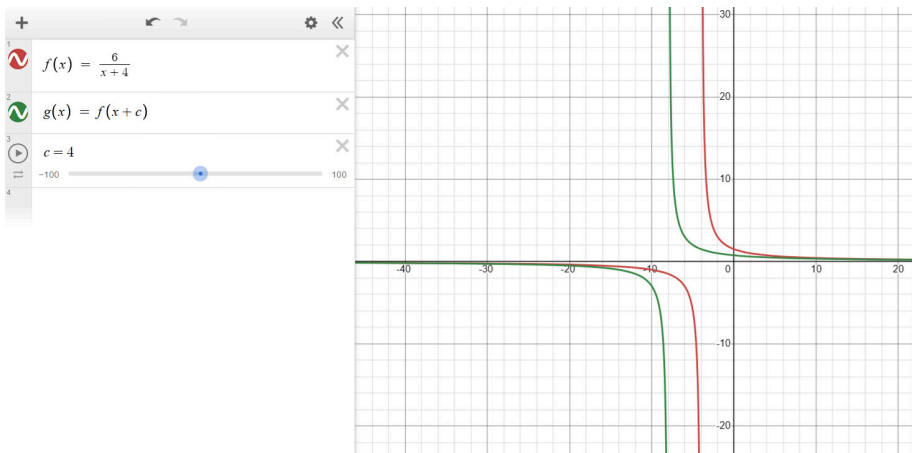
$$a = 6$$

$$b = 4$$

$$\Rightarrow f(x) = \frac{6}{x+4}$$

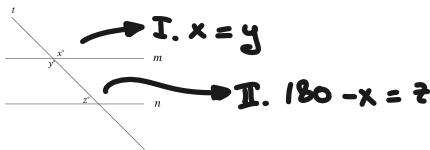
$$\Rightarrow g(x) = f(x+4) = \frac{6}{x+4+4} = \frac{6}{x+8}$$

we plug $x+4$ into f instead of x



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Math: Question 7



Note: Figure not drawn to scale.

In the figure, lines m and n are parallel. If $x = 6k + 13$ and $y = 8k - 29$, what is the value of z ?

$$\begin{aligned} \text{I. } & x = y \\ & 6k + 13 = 8k - 29 \\ & 29 + 13 = 8k - 6k \end{aligned}$$

Hide correct answer and explanation

Answer

- A. 3
- B. 21
- C. 41
- D. 139

You selected answer B. The correct answer is C

Rationale

Choice C is correct. Vertical angles, which are angles that are opposite each other when two lines intersect, are congruent. The figure shows that lines m and n intersect. It follows that the angle with measure x' and the angle with measure y' are vertical angles, so $x = y$. It's given that $x = 6k + 13$ and $y = 8k - 29$. Substituting $6k + 13$ for x and $8k - 29$ for y in the equation $x = y$ yields $6k + 13 = 8k - 29$. Subtracting $6k$ from both sides of this equation yields $13 = 2k - 29$. Adding 29 to both sides of this equation yields $42 = 2k$, or $2k = 42$. Dividing both sides of this equation by 2 yields $k = 21$. It's given that lines m and n are parallel, and the figure shows that lines m and n are intersected by a transversal, line l . If two parallel lines are intersected by a transversal, then the same-side interior angles are supplementary. It follows that the same-side interior angles with measures y' and z' are supplementary, so $y + z = 180$. Substituting $8k - 29$ for y in this equation yields $8k - 29 + z = 180$. Substituting 21 for k in this equation yields $8(21) - 29 + z = 180$, or $139 + z = 180$. Subtracting 139 from both sides of this equation yields $z = 41$. Therefore, the value of z is 41.

Choice A is incorrect and may result from conceptual or calculation errors.

Choice B is incorrect. This is the value of k , not z .

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$$\begin{aligned} 42 &= 2k \\ \boxed{k &= 21} \end{aligned}$$

$$\text{I. } z = 180 - x = 180 - (6 \cdot 21 + 13) = 180 - 139 = 41$$

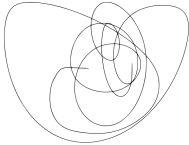
SAT Practice 4 - September 9, 2025

Math: Question 11

x	10	15	20	25
$f(x)$	82	137	192	247

The table shows four values of x and their corresponding values of $f(x)$. There is a linear relationship between x and $f(x)$ that is defined by the equation $f(x) = mx - 28$, where m is a constant. What is the value of m ?

↪ slope !



Hide correct answer and explanation

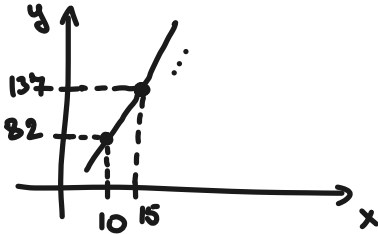
Answer

11

You selected answer 5. The correct answer is 11

Rationale

The correct answer is 11. It's given that $f(x)$ is defined by the equation $f(x) = mx - 28$, where m is a constant. It's also given in the table that when $x = 10$, $f(x) = 82$. Substituting 10 for x and 82 for $f(x)$ in the equation $f(x) = mx - 28$ yields $82 = m(10) - 28$. Adding 28 to both sides of this equation yields $110 = 10m$. Dividing both sides of this equation by 10 yields $11 = m$. Therefore, the value of m is 11.



$$\left. \begin{array}{l} x = 10 \\ f(x) = 82 \end{array} \right\}$$

$$\underbrace{f(x)}_{82} = m \cdot \underbrace{x}_{10} - 28$$

$$110 = 10m \quad /:10$$

$$\boxed{m = 11}$$

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Math: Question 8

Line p is defined by $2y + 18x = 9$. Line r is perpendicular to line p in the xy -plane. What is the slope of line r ?

kolmý

$2y = -18x + 9 / :2$

$p: y = \underline{-9}x + \frac{9}{2}$
slope of p

$r: y = -\frac{1}{-9}x + ?$

Handwritten red annotations: A bracket under -9 in the equation for p, an arrow pointing down to the slope of r, and a bracket under -1/-9 in the equation for r.

Hide correct answer and explanation

Answer

- A. -9
- B. $-\frac{1}{9}$
- C. $\frac{1}{9}$
- D. 9

You selected answer A. The correct answer is C

Rationale

Choice C is correct. It's given that line r is perpendicular to line p in the xy -plane. This means that the slope of line r is the negative reciprocal of the slope of line p . If the equation for line p is rewritten in slope-intercept form $y = mx + b$, where m and b are constants, then m is the slope of the line and $(0, b)$ is its y -intercept. Subtracting $18x$ from both sides of the equation $2y + 18x = 9$ yields $2y = -18x + 9$. Dividing both sides of this equation by 2 yields $y = -9x + \frac{9}{2}$. It follows that the slope of line p is -9 . The negative reciprocal of a number is -1 divided by the number. Therefore, the negative reciprocal of -9 is $-\frac{1}{-9}$, or $\frac{1}{9}$. Thus, the slope of line r is $\frac{1}{9}$.

Choice A is incorrect. This is the slope of line p , not line r .

Choice B is incorrect. This is the reciprocal, not the negative reciprocal, of the slope of line p .

Choice D is incorrect. This is the negative, not the negative reciprocal, of the slope of line p .

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Math: Question 11

$$2(kx - n) = -\frac{28}{15}x - \frac{36}{19}$$

In the given equation, k and n are constants and $n > 1$. The equation has no solution. What is the value of k ?

Ex. $0 \cdot x = 7$
 ↪ does not have a sol.

Answer

-.9333, -14/15

You selected answer 0.11. The correct answer is -.9333, -14/15

Rationale

The correct answer is $-\frac{14}{15}$. A linear equation in the form $ax + b = cx + d$ has no solution only when the coefficients of x on each side of the equation are equal and the constant terms are not equal. Dividing both sides of the given equation by 2 yields $kx - n = -\frac{14}{15}x - \frac{18}{19}$, or $kx - n = -\frac{14}{15}x - \frac{36}{19}$. Since it's given that the equation has no solution, the coefficient of x on both sides of this equation must be equal, and the constant terms on both sides of this equation must not be equal. Since $\frac{14}{15} < 1$, and it's given that $n > 1$, the second condition is true. Thus, k must be equal to $-\frac{14}{15}$. Note that $-14/15$, $-.9333$, and -0.933 are examples of ways to enter a correct answer.

Hide correct answer and explanation

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$$2(kx - n) = -\frac{28}{15}x - \frac{36}{19}$$

$$2kx - 2n = -\frac{28}{15}x - \frac{36}{19}$$

They are in the same form

$$\underline{ax} + b = \underline{cx} + d$$

$a \neq c$

$a = c$

A.
 x will not disappear

B.
 x will disappear

↪ solution
 $x = \text{number}$

B1. True
 ∞ -many sol.
 B2. False
no sol.

$$A. \quad 2x+1 = 3x-2$$

$$x = 3$$

$$B1. \quad 2x+1 = 2x+1 \quad \text{— this is always true}$$

$$0 = 0$$

(for any $x \in \mathbb{R}$)

$$B2. \quad \underbrace{2x+1}_{=} = \underbrace{2x+3}_{\neq} \quad | -2x$$

$$1 = 3 \quad \times$$

$$2kx - 2n = -\frac{28}{15}x - \frac{36}{19}$$

no solution

We want no solution



$$\bullet \quad 2k = -\frac{28}{15} \quad | : 2$$

$$k = -\frac{28}{15} : 2$$

$$k = -\frac{28}{15} \cdot \frac{1}{2}$$

$$k = -\frac{14}{15}$$

MyPractice - SAT Practice 4

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SAT Practice 4 - September 9, 2025

Math: Question 13

$$y > 14$$

$$4x + y < 18$$

The point $(x, 53)$ is a solution to the system of inequalities in the xy -plane. Which of the following could be the value of x ?

Answer

A. -9
 B. -5
 C. 5
 D. 9

You selected answer D. The correct answer is A

Rationale

Choice A is correct. It's given that the point $(x, 53)$ is a solution to the given system of inequalities in the xy -plane. This means that the coordinates of the point, when substituted for the variables x and y , make both of the inequalities in the system true. Substituting 53 for y in the inequality $y > 14$ yields $53 > 14$, which is true. Substituting 53 for y in the inequality $4x + y < 18$ yields $4x + 53 < 18$. Subtracting 53 from both sides of this inequality yields $4x < -35$. Dividing both sides of this inequality by 4 yields $x < -8.75$. Therefore, x must be a value less than -8.75 . Of the given choices, only -9 is less than -8.75 .

Choice B is incorrect. Substituting -5 for x and 53 for y in the inequality $4x + y < 18$ yields $4(-5) + 53 < 18$, or $33 < 18$, which is not true.

Choice C is incorrect. Substituting 5 for x and 53 for y in the inequality $4x + y < 18$ yields $4(5) + 53 < 18$, or $73 < 18$, which is not true.

Choice D is incorrect. Substituting 9 for x and 53 for y in the inequality $4x + y < 18$ yields $4(9) + 53 < 18$, or $89 < 18$, which is not true.

Hide correct answer and explanation

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Math: Question 15

The expression $4x^2 + bx - 45$, where b is a constant, can be rewritten as $(hx + k)(x + j)$, where h , k , and j are integer constants. Which of the following must be an integer?

Answer

A. $\frac{1}{4}$
 B. $\frac{1}{2}$
 C. $\frac{b}{4}$
 D. $\frac{b}{2}$

You selected answer C. The correct answer is D.

Rationale

Choice D is correct. It's given that $4x^2 + bx - 45$ can be rewritten as $(hx + k)(x + j)$. The expression $(hx + k)(x + j)$ can be rewritten as $hx^2 + jbx + kx + kj$, or $hx^2 + (jbx + kx) + kj$. Therefore, $4x^2 + bx - 45 = hx^2 + (jbx + kx) + kj$ is equivalent to $4x^2 + bx - 45 = hx^2 + bx - 45$. It follows that $kj = -45$. Dividing each side of this equation by k yields $j = -\frac{45}{k}$. Since j is an integer, $-\frac{45}{k}$ must be an integer. Therefore, $\frac{b}{2}$ must also be an integer.

Choice A is incorrect and may result from conceptual or calculation errors.

Choice B is incorrect and may result from conceptual or calculation errors.

Choice C is incorrect and may result from conceptual or calculation errors.

Hide correct answer and explanation

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$$4x^2 + bx - 45 = (hx + k)(x + j)$$

$$4x^2 + bx - 45 = hx^2 + hjx + kx + kj$$

$$4x^2 + bx - 45 = hx^2 + (hj + k)x + kj$$

From here

I. $h = 4$

II. $b = hj + k = 4j + k$ $b, j, k \dots$ integers

III. $kj = -45$

A. $\frac{b}{h} = \frac{4j + k}{4}$ does not have to be an integer

$\left. \begin{matrix} j=0 \\ k=1 \end{matrix} \right\} \frac{4 \cdot 0 + 1}{4} = \frac{1}{4}$

$$D. \frac{45}{k} = \frac{45}{-\frac{45}{j}} = 45 : \left(-\frac{45}{j}\right) = \cancel{45} \cdot \left(-\frac{j}{\cancel{45}}\right) = -j$$

$$III. \quad k \cdot j = -45 \quad \rightarrow \quad k = -\frac{45}{j} \quad \text{must be an integer}$$

$:k$ $\downarrow \downarrow$
 k, j are divisors (delitelé) of 45

$$-\frac{45}{k} = j \quad \rightarrow \quad \frac{45}{k} = -j$$